

# Bar formation in simulated disk galaxies

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# Introduction

There are many studies about formation and evolution of barred galaxies using dynamical simulations, but very few using cosmological simulations

## **Studies with cosmological simulations**

Scannapieco et al. (2012) —→ Study properties of 2 barred galaxies at  $z=0$

Kraljic et al. (2012) —→ Study 33 disc galaxies in cosmological halos

Algorry et al. (2014) —→ Study the formation of a counter-rotating bar

Okamoto et al (2015) —→ Study the evolution of two barred galaxies

Goz et al. (2015) —→ Study the properties and instability criterion of two barred galaxies at two different resolutions.

# EAGLE simulations

EAGLE (Evolution and Assembly of GaLaxies and their Environments).

EAGLE set of N-body cosmological hydrodynamical simulations aimed at understanding how galaxies form and evolve.

GADGET3 code

100Mpc

## Resolución

$M_{\text{gas}} = 1.81 \times 10^6 M_{\text{sun}}$

$M_{\text{drk}} = 9.70 \times 10^6 M_{\text{sun}}$

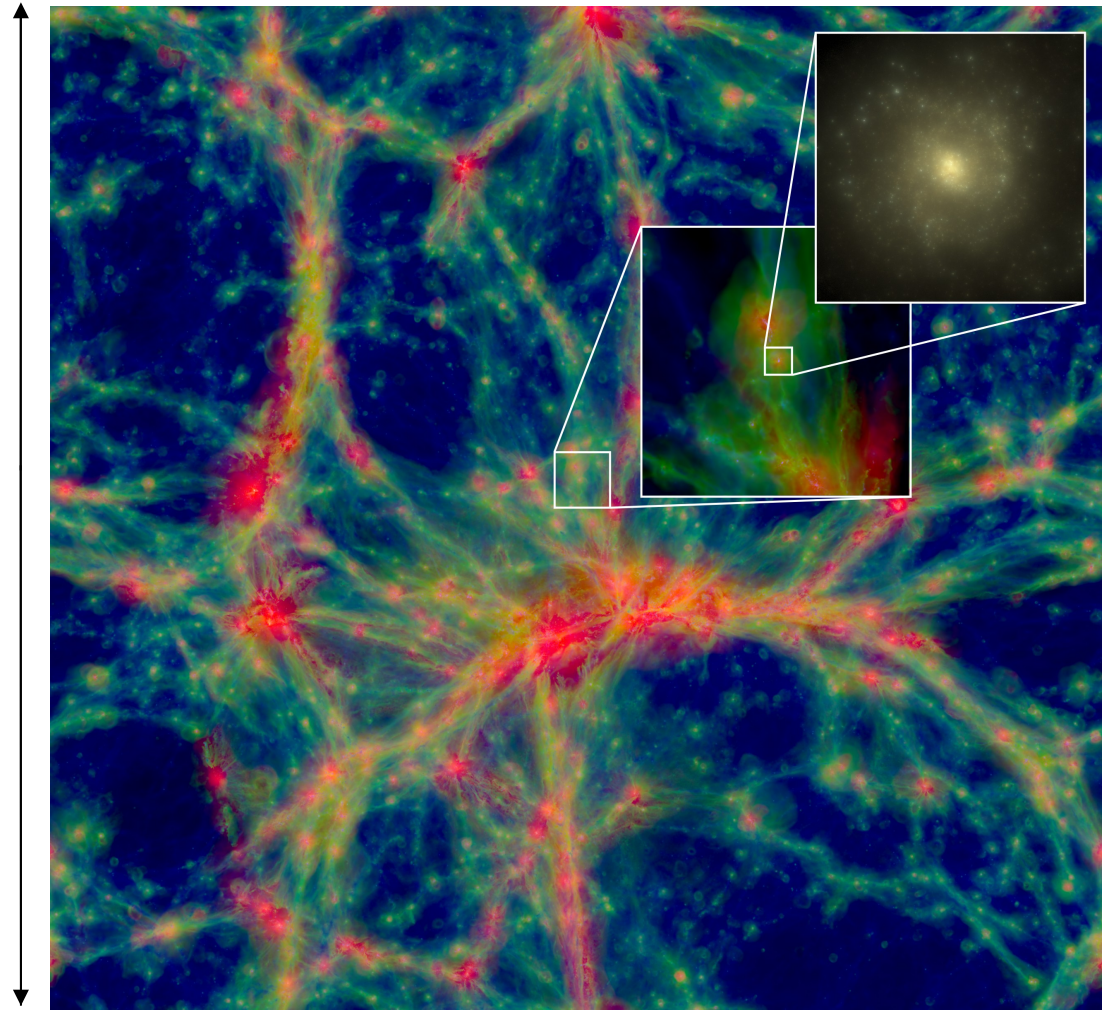
Dark matter

Gas

Stars

Black holes

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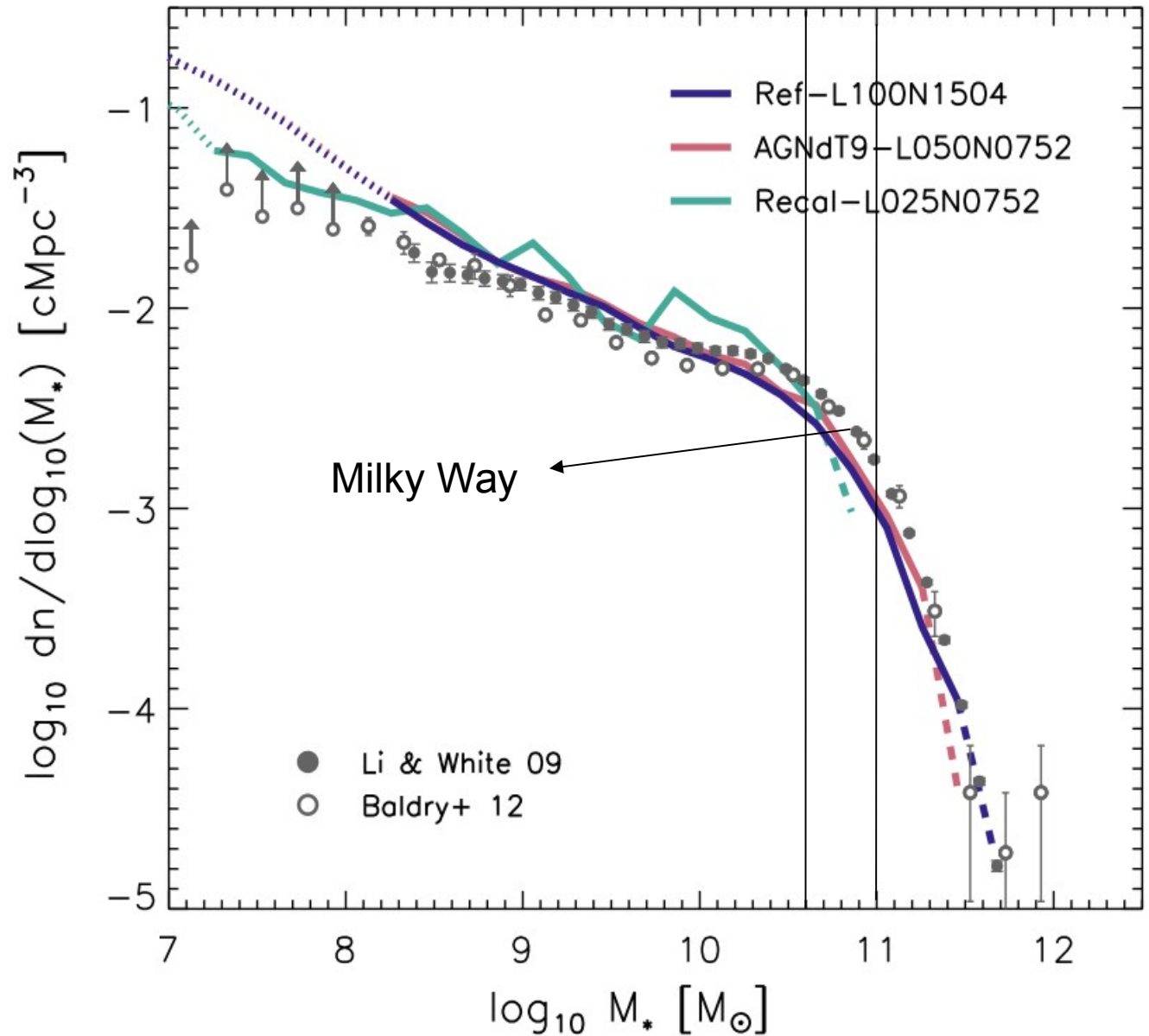
Schaye et al. 2014

# EAGLE simulations

Schaye et al. 2014

Good estimation of the galaxy stellar mass function

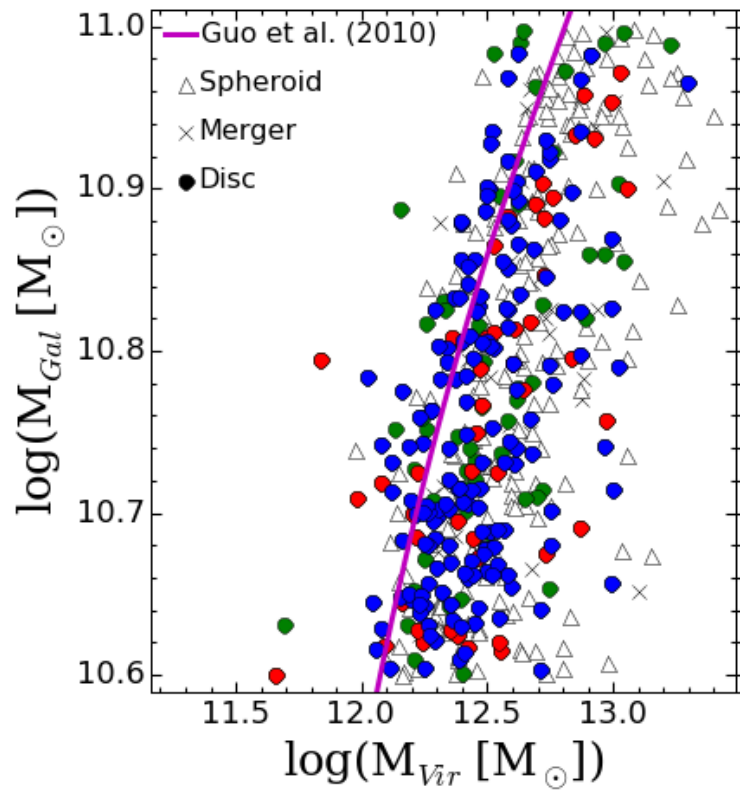
## Stellar mass function



Sample selection  
 $10.6 < \log(M_{\text{gal}}) < 11$ .

# Sample Selection

269 disc galaxies

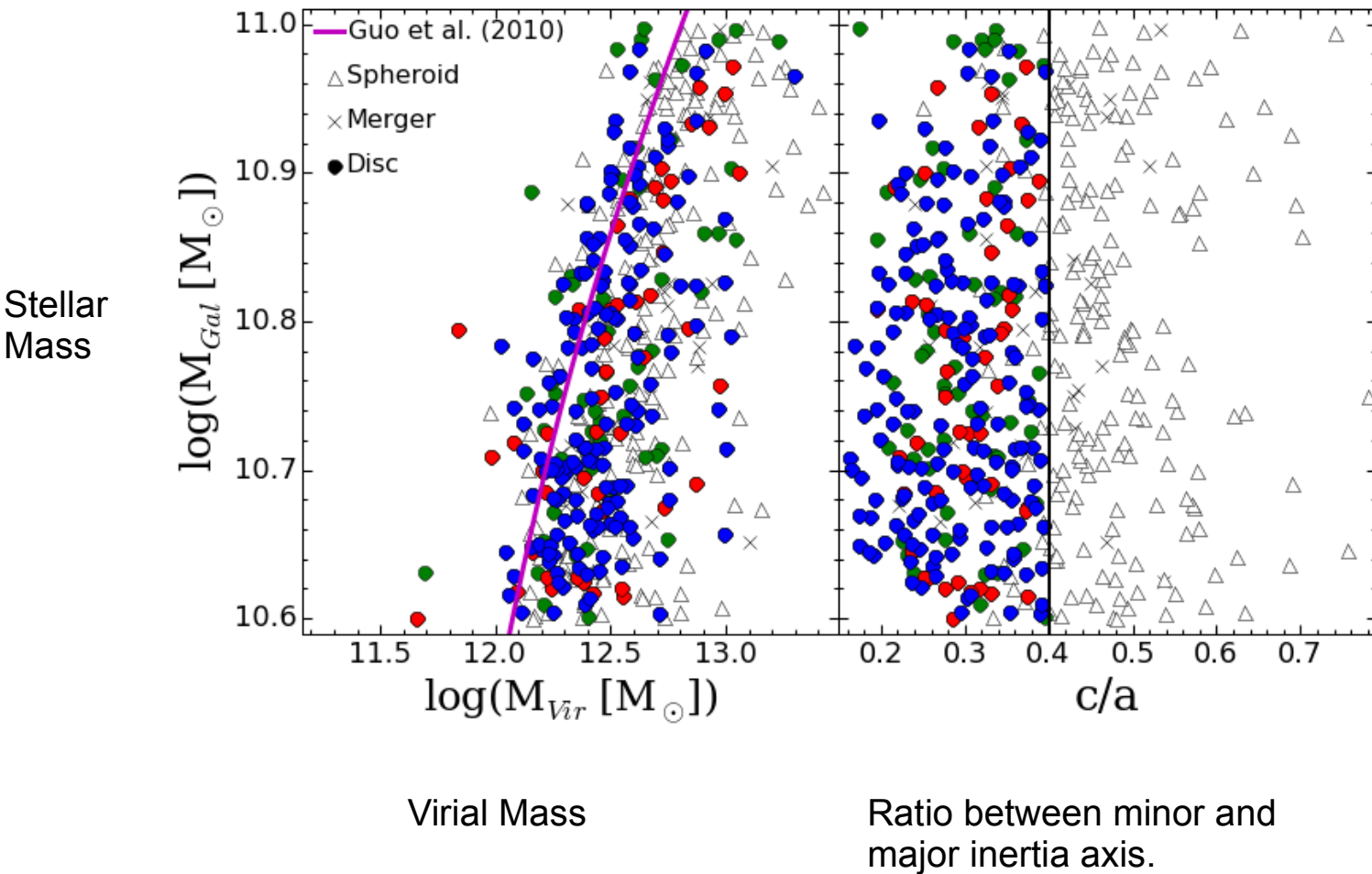


Stellar  
Mass

Virial Mass

# Sample Selection

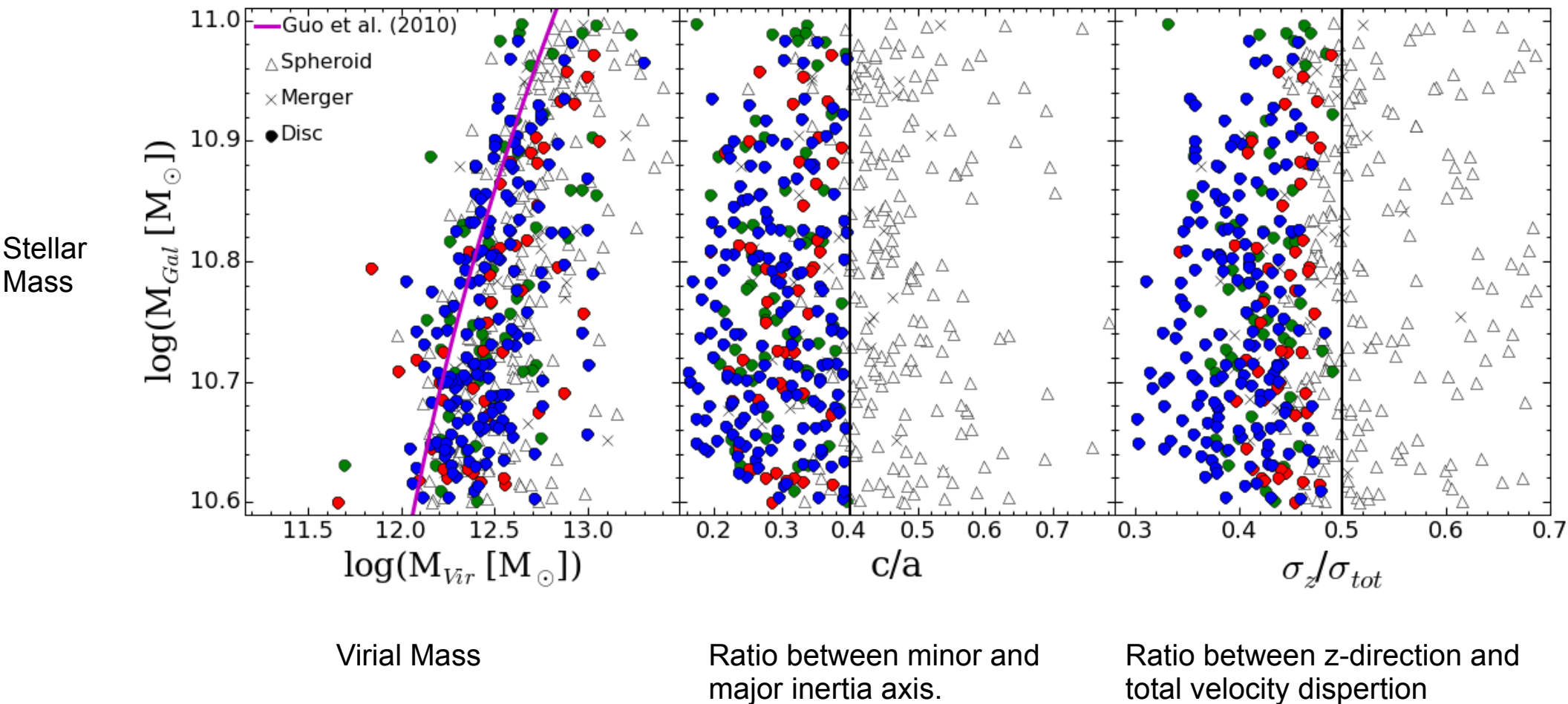
269 disc galaxies





# Sample Selection

269 disc galaxies





# Bar strength

Fourier components of the bi-dimensional mass distribution

- i) Face-on view of the galaxy
- ii) We divide in circular bins
- iii) We calculate:

$$a_0(R) = \sum_{i=0}^{N_R} m_i$$

$$a_2(R) = \sum_{i=0}^{N_R} m_i \cos(2\theta_i)$$

$$b_2(R) = \sum_{i=0}^{N_R} m_i \sin(2\theta_i)$$

$m_i$  = mass of the particle  $i$

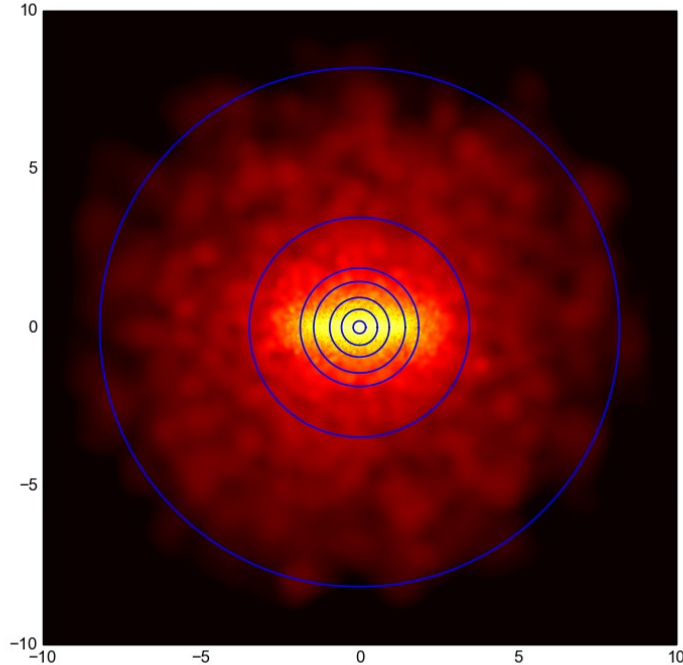
$\theta_i$  = azimuthal angle of the particle  $i$

$R$  = Cylindrical radius

$A_2 = 1$  —————

$A_2 = 0$  ●

Y [kpc h<sup>-1</sup>]



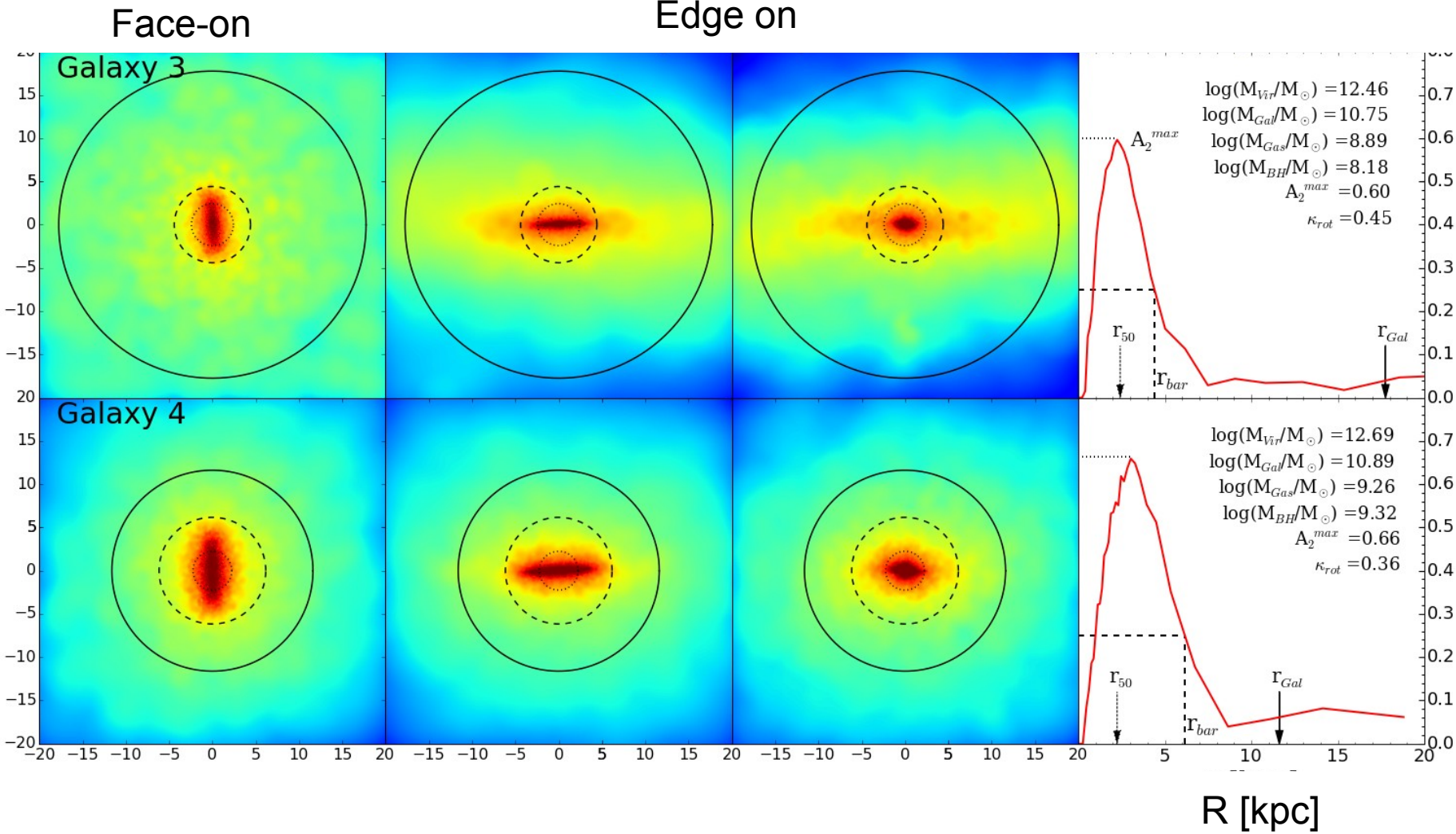
Face-on view of the galaxy

X [kpc h<sup>-1</sup>]

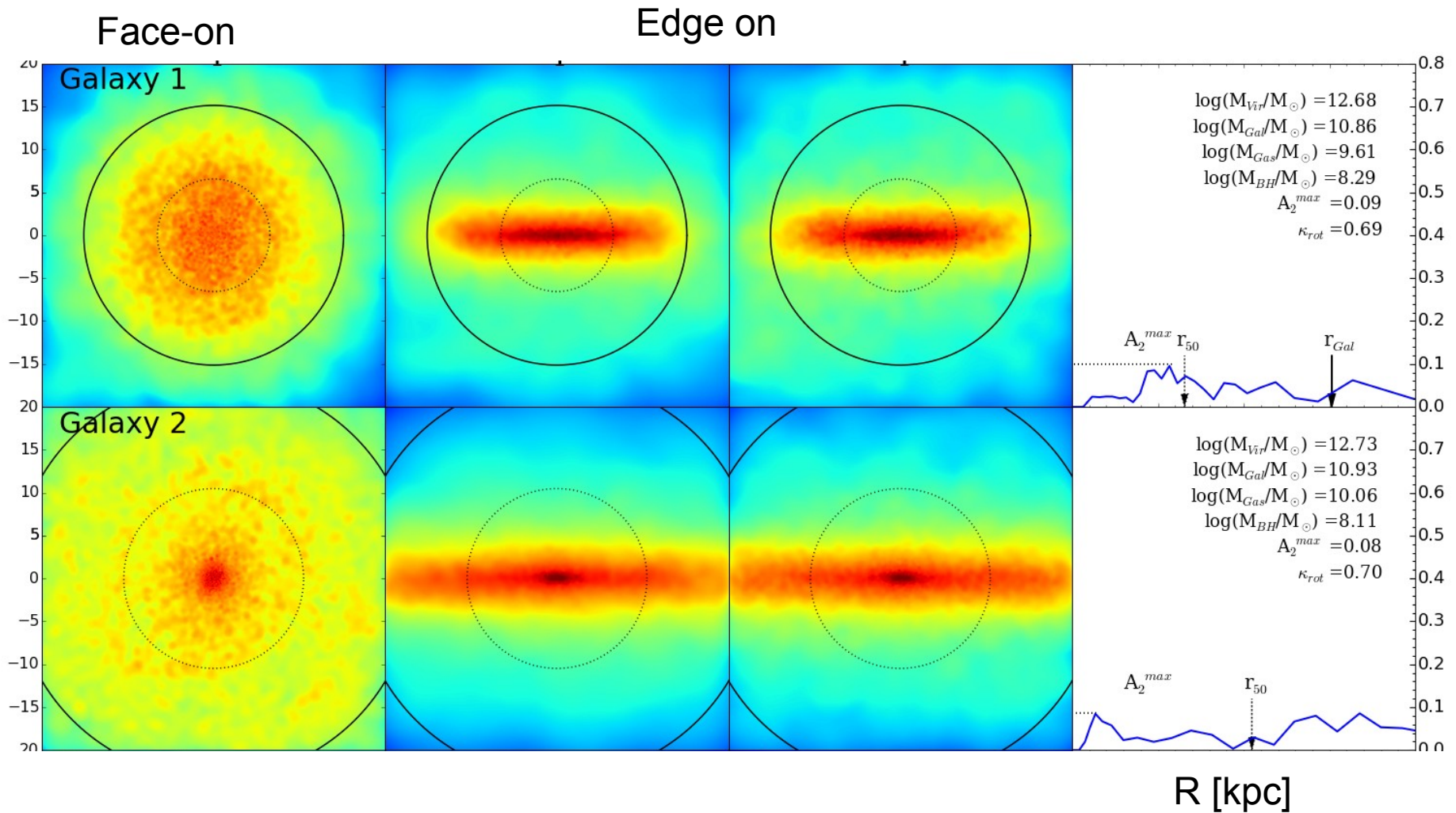
$$A_2(R) = \frac{\sqrt{a_2^2 + b_2^2}}{a_0}$$

(Athanasoula et. al. 2013)

# Examples of strong barred disk galaxies



# Example unbarred disk galaxies



# 3 groups of galaxies

Strong barred galaxies

$$A_2^{\max} > 0.4$$

Weak barred galaxies

$$0.2 < A_2^{\max} < 0.4$$

Unbarred galaxies

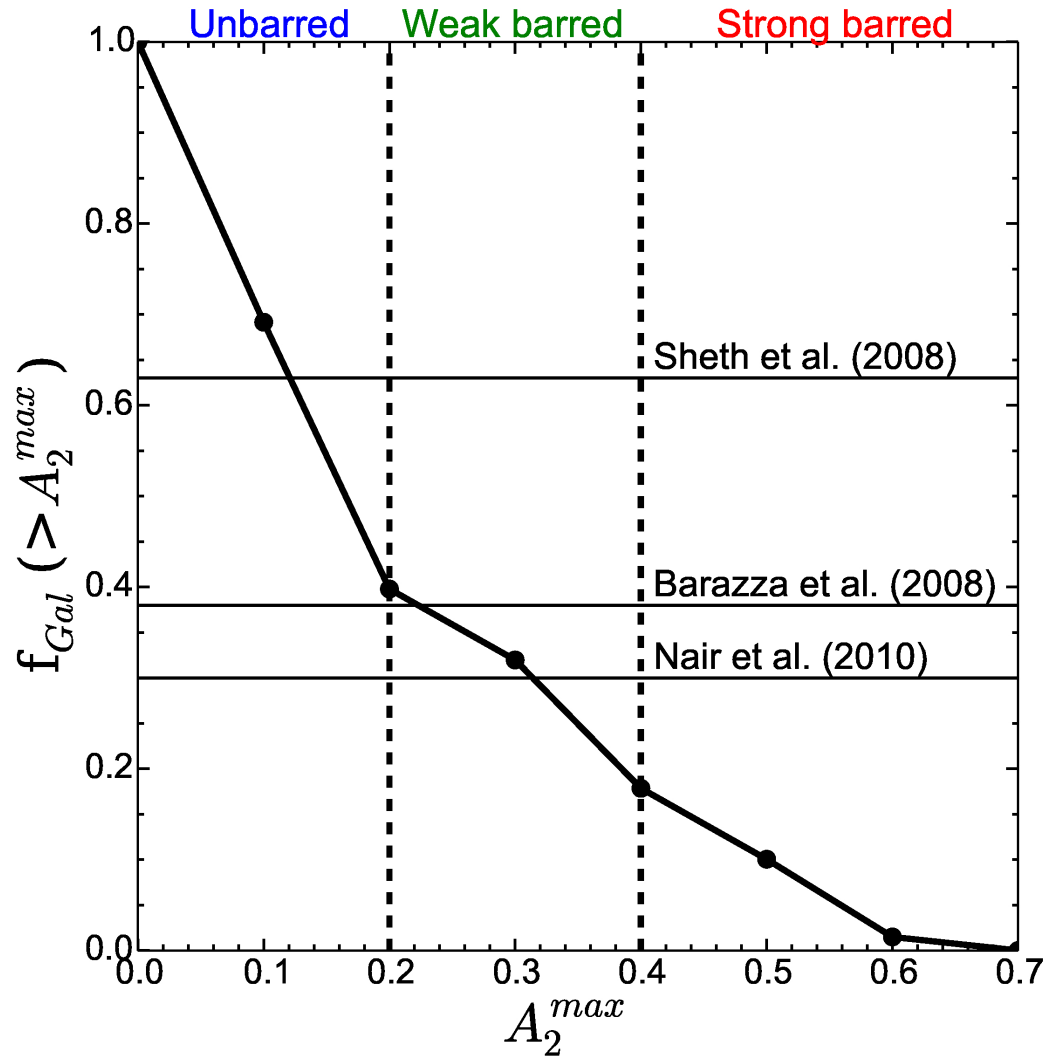
$$A_2^{\max} < 0.2$$

# Fraction of galaxies with $A_2^{max}$ larger than a certain value

48 strong barred galaxies

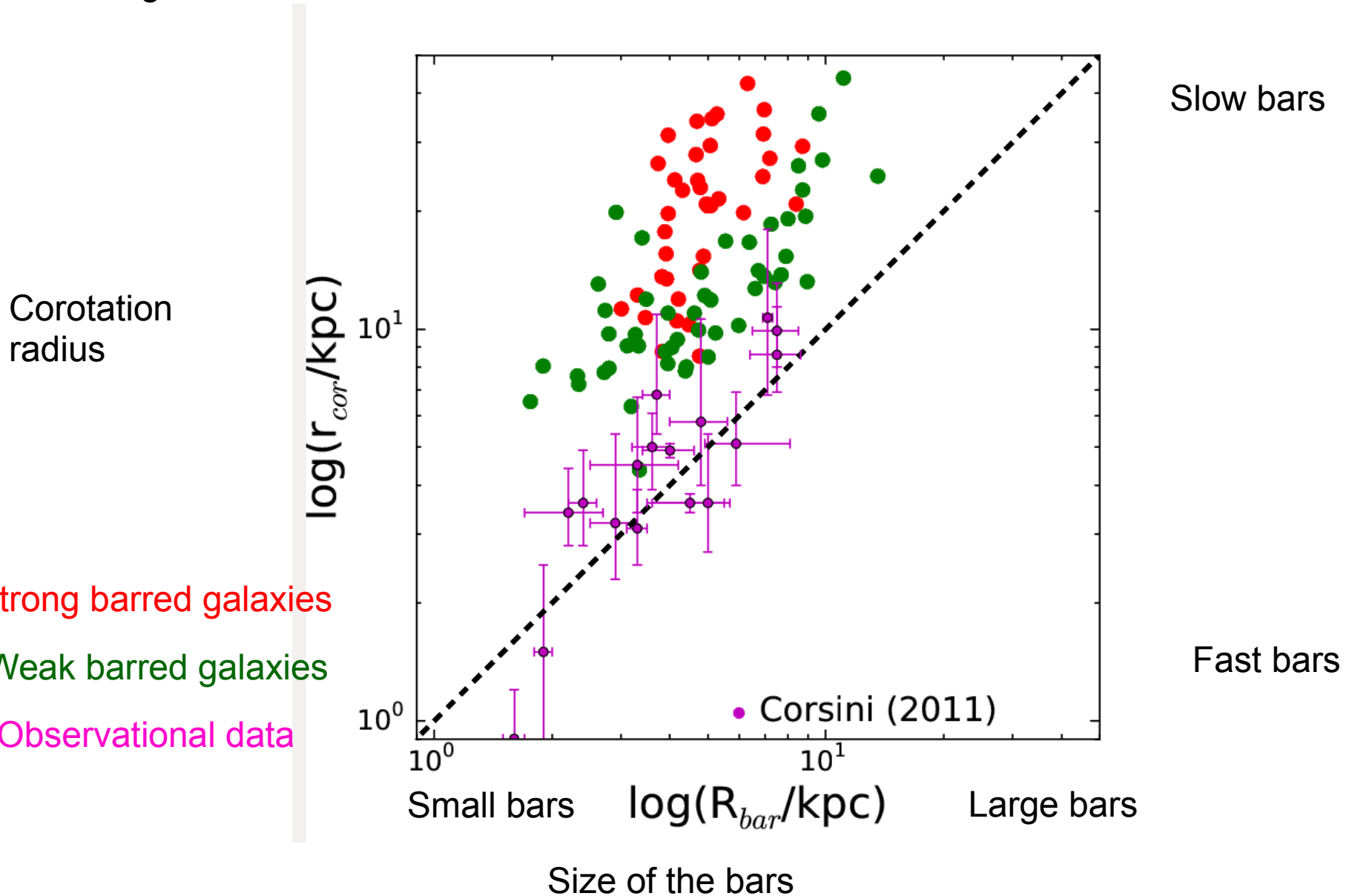
59 weak barred galaxies

162 unbarred galaxies



# Comparison with observational data

The larger the corotation radius is, the slower the bar will be





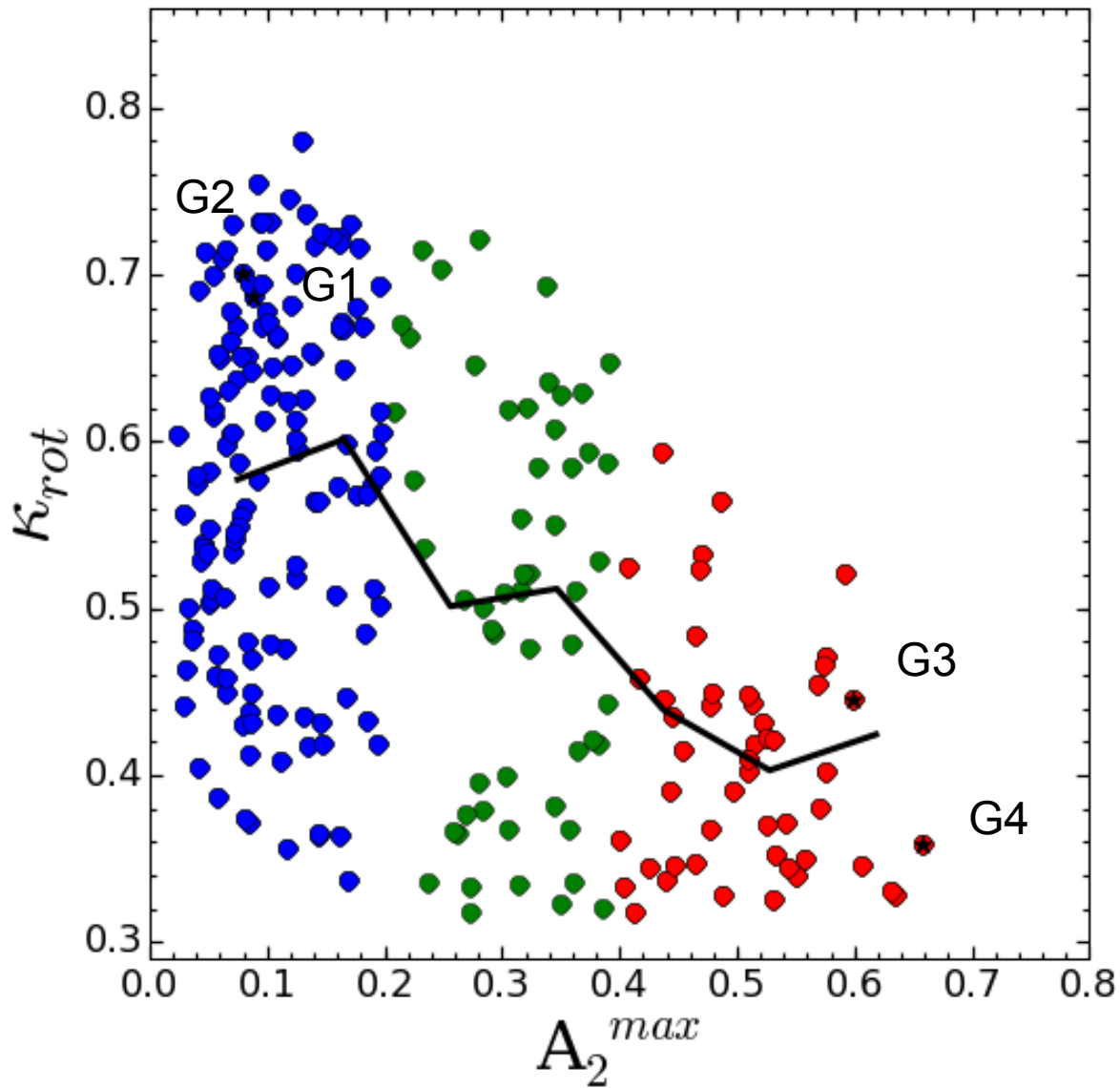
# $A_2^{max}$ vs Rotational kinetic energy

$$K_{rot} = K_{rot} / K_{total}$$

K=kinetic energy

$K_{rot}$ =Rotational kinetic energy

Rotating systems

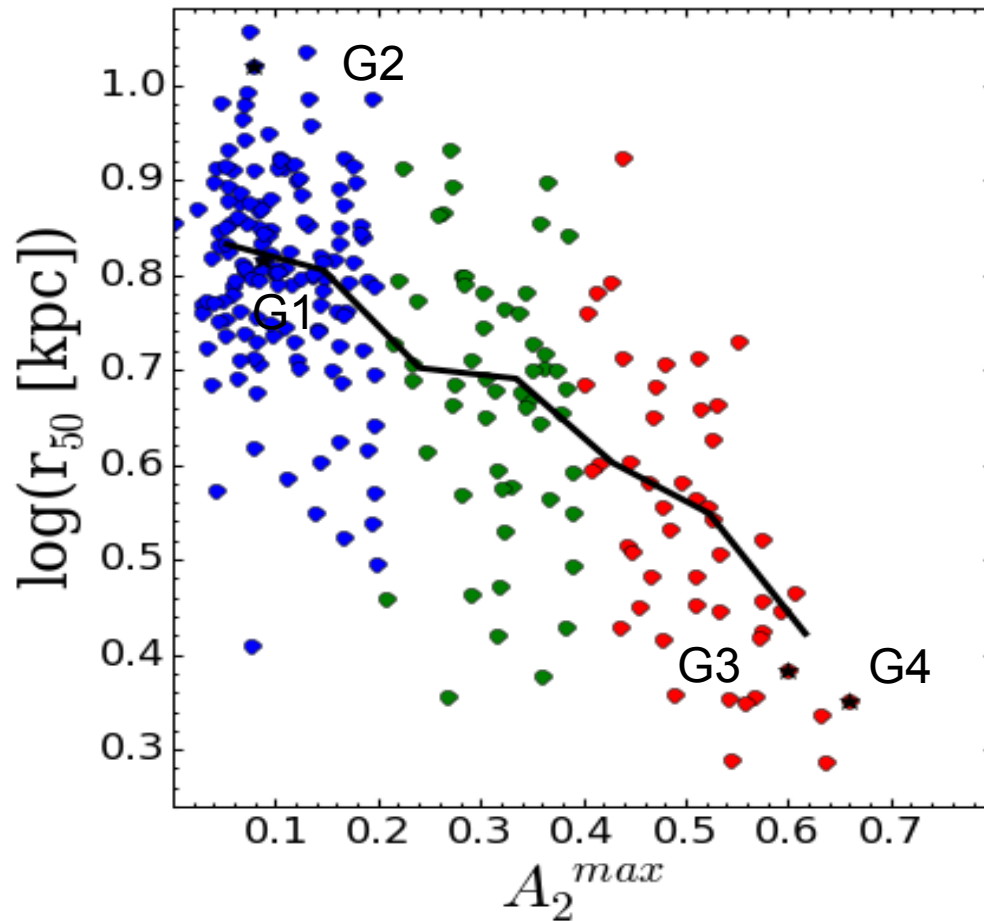


Non-rotating systems



# $A_2^{\max}$ vs half mass radius

$r_{50}$  of unbarred galaxies is twice larger than  $r_{50}$  of strong barred galaxies

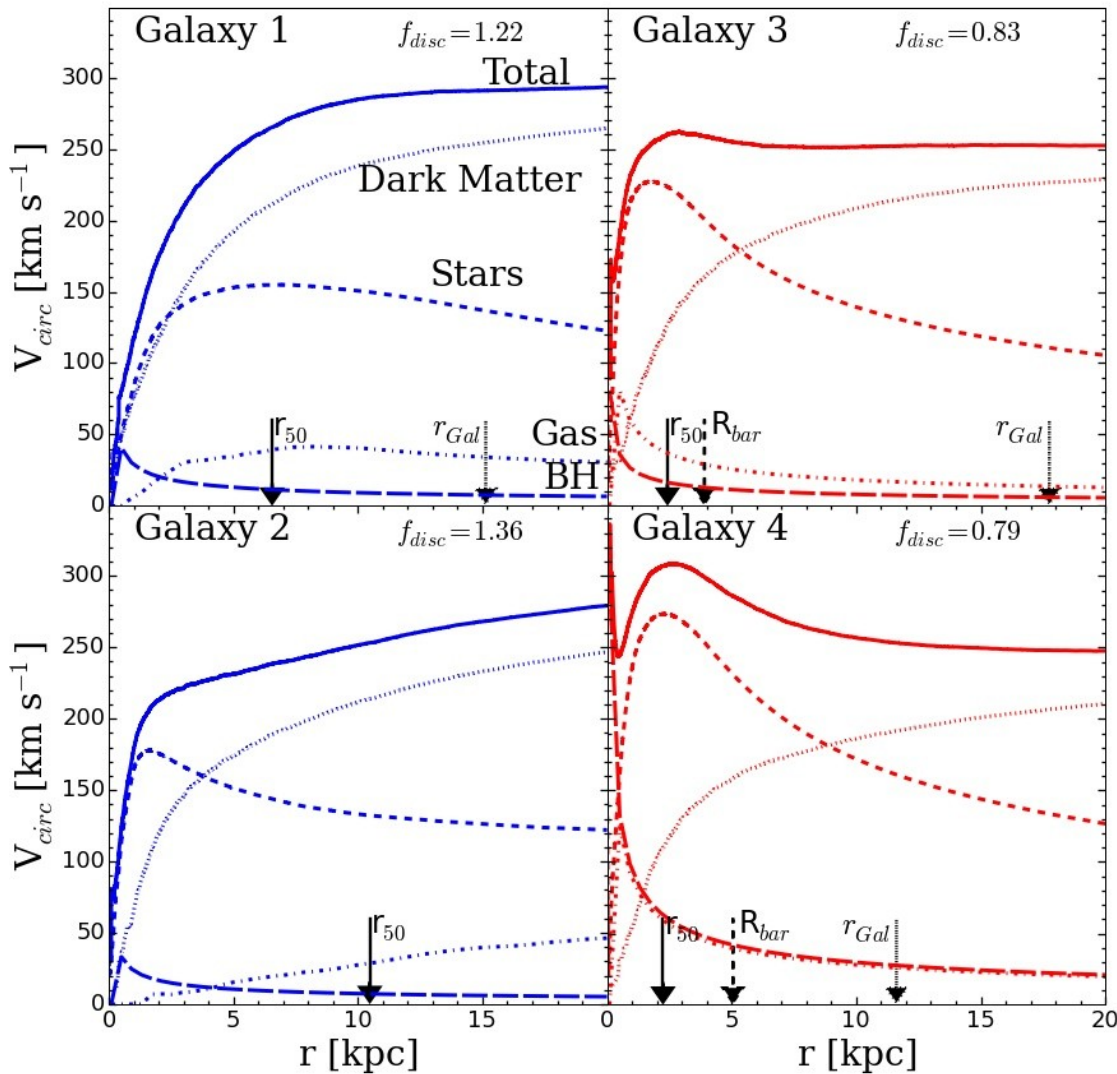


# Circular velocity profiles of the examples

$$V_{circ} = \sqrt{\frac{GM}{r}}$$

Unbarred galaxies

Strong barred galaxies



$$f_{disc} = \frac{V_c(r_{50})}{\sqrt{GM_{disc}/r_{50}}}$$

How important is the stellar disc respect to the total in the inner region.

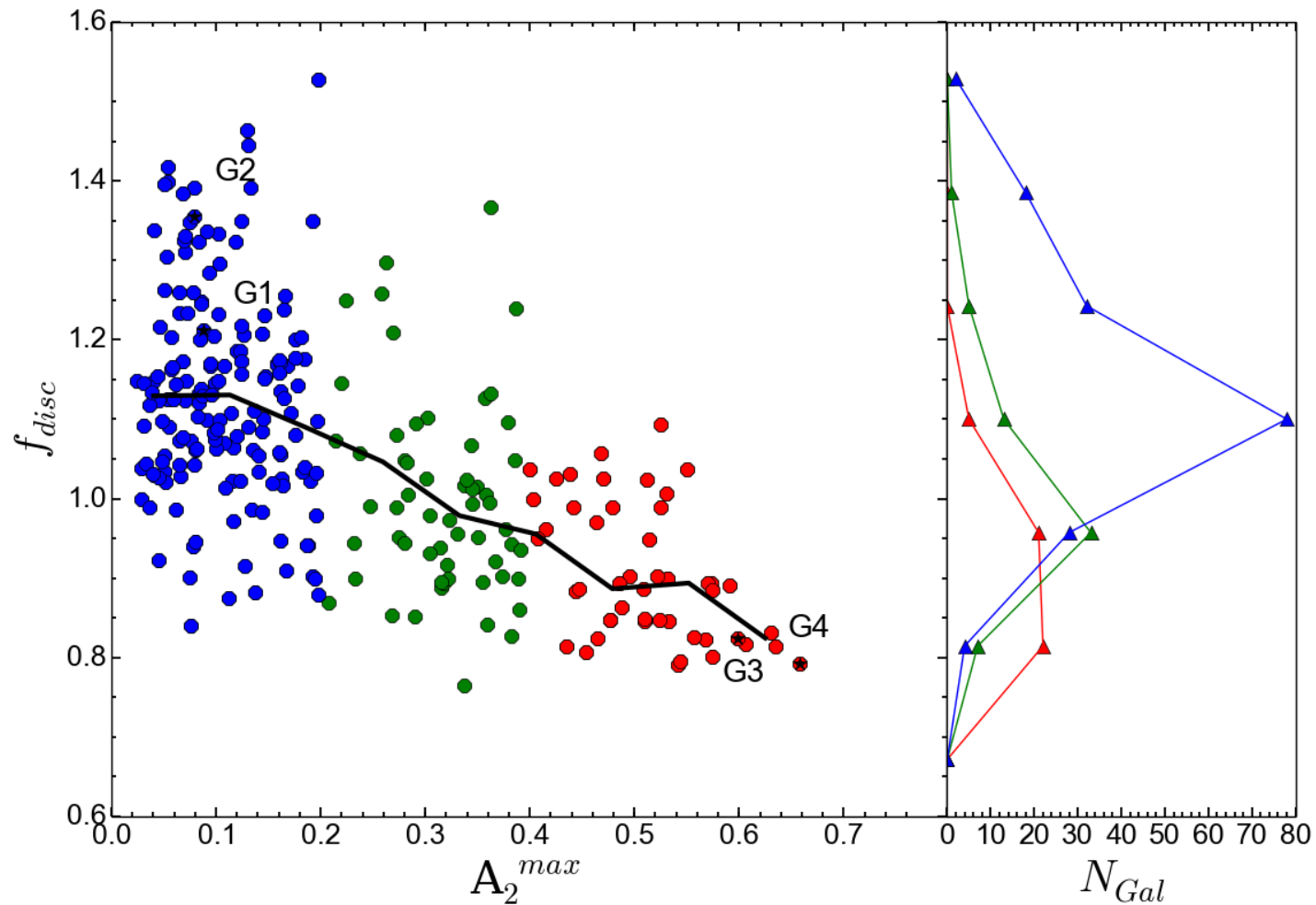
Efstathiou et al. (1982)

$f_{disc} < 1.1$  for unstable discs

$f_{disc} > 1.1$  for stable discs

# Instability criterion based on Efsthathiou (1982)

How important is the stellar disc respect to the total in the inner region.

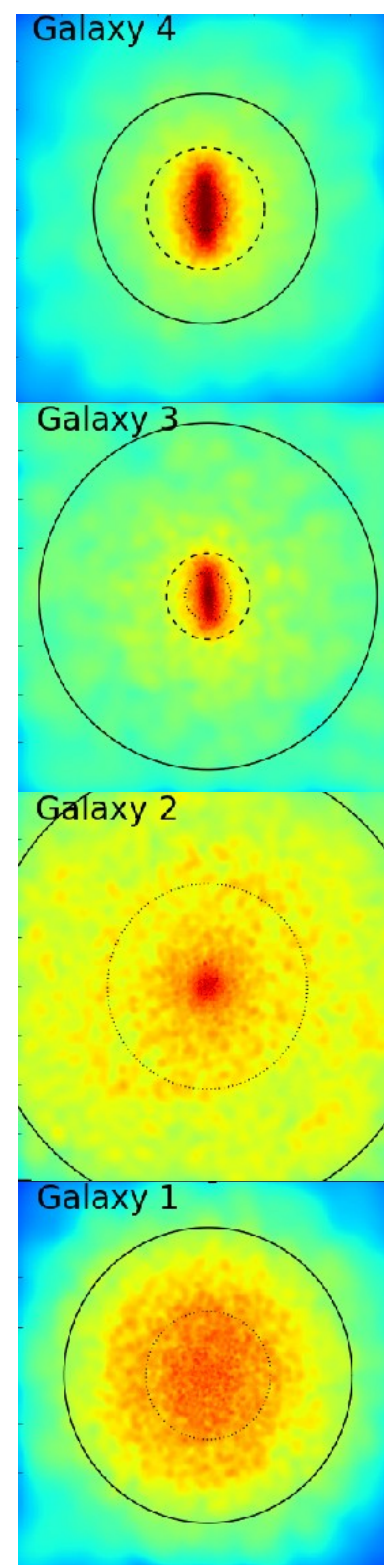
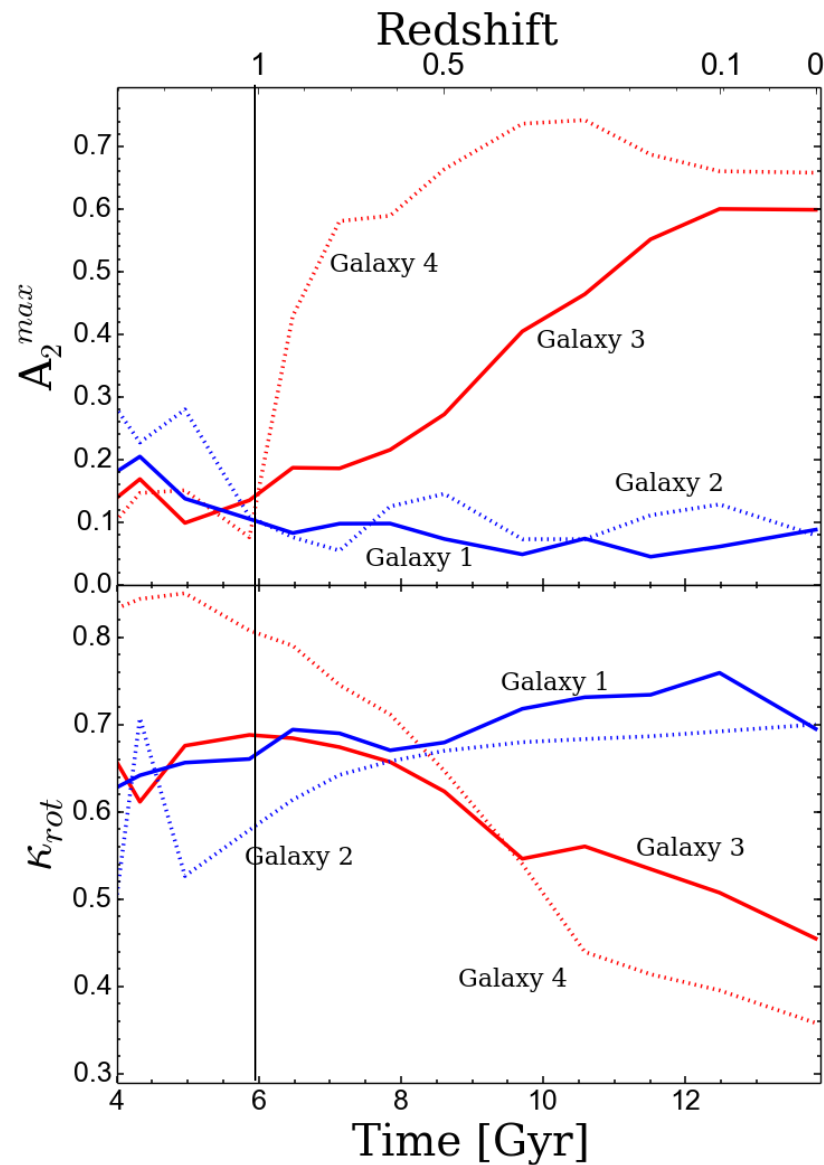


# Temporal evolution of $A_2^{max}$ and $\kappa_{rot}$

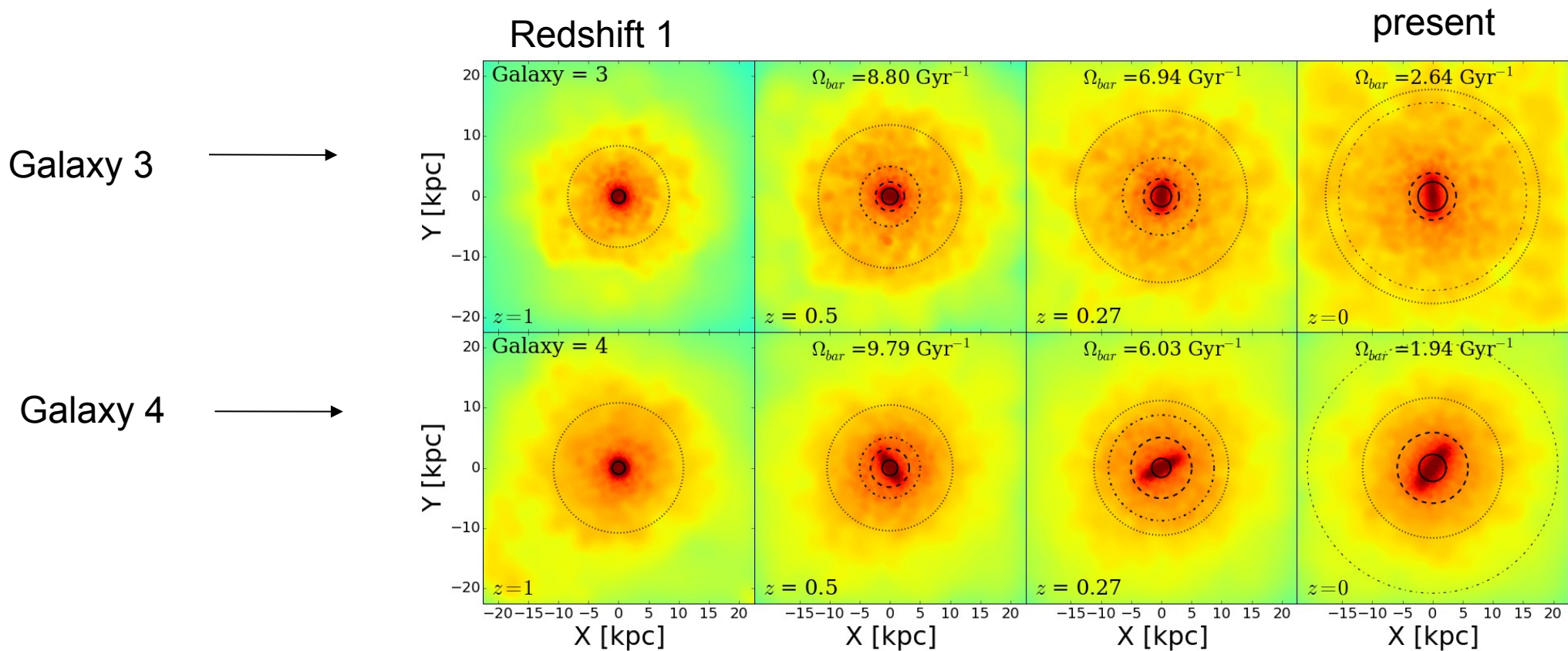
Bar strength

The four example are unbarred galaxies at  $z=1$ .

Rotational kinetic energy



# Evolution of the two strong barred galaxies

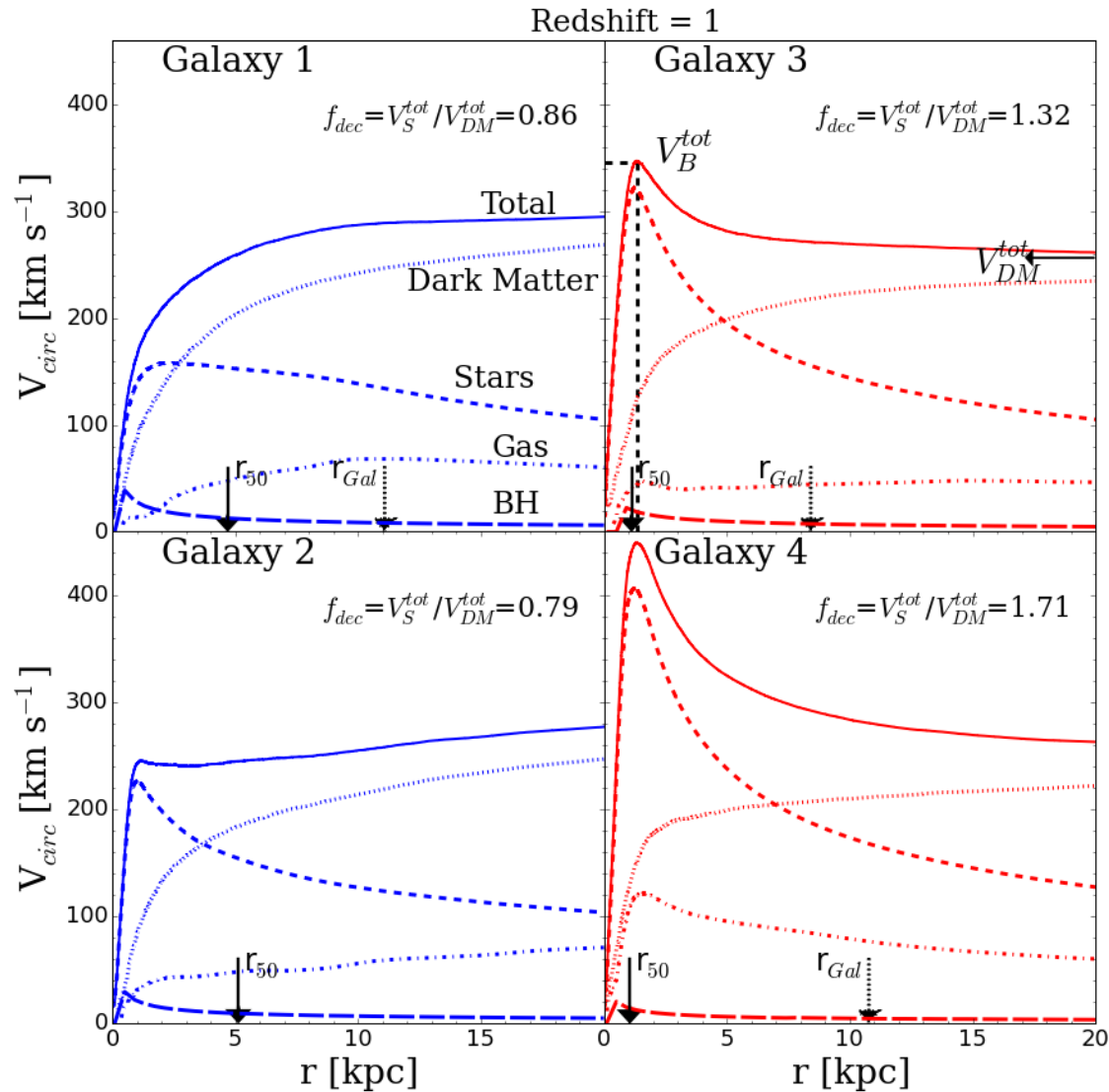


# Circular velocity profiles of the 4 examples

Redshift  $z=1$

$$V_{circ} = \sqrt{\frac{GM}{r}}$$

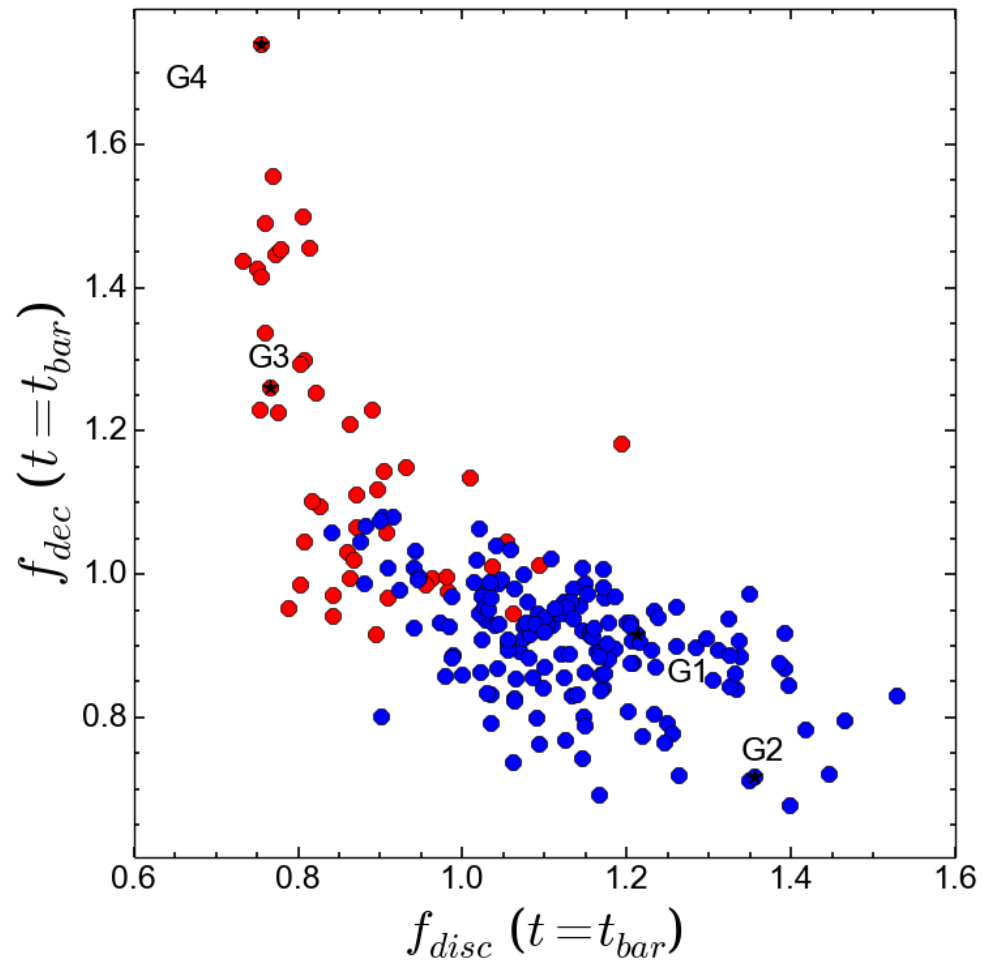
$$f_{dec} = V_S^{tot} / V_{DM}^{tot}$$



$f_{dec} > 1$  declining circular velocity profile  
 $f_{dec} < 1$  rising circular velocity profile

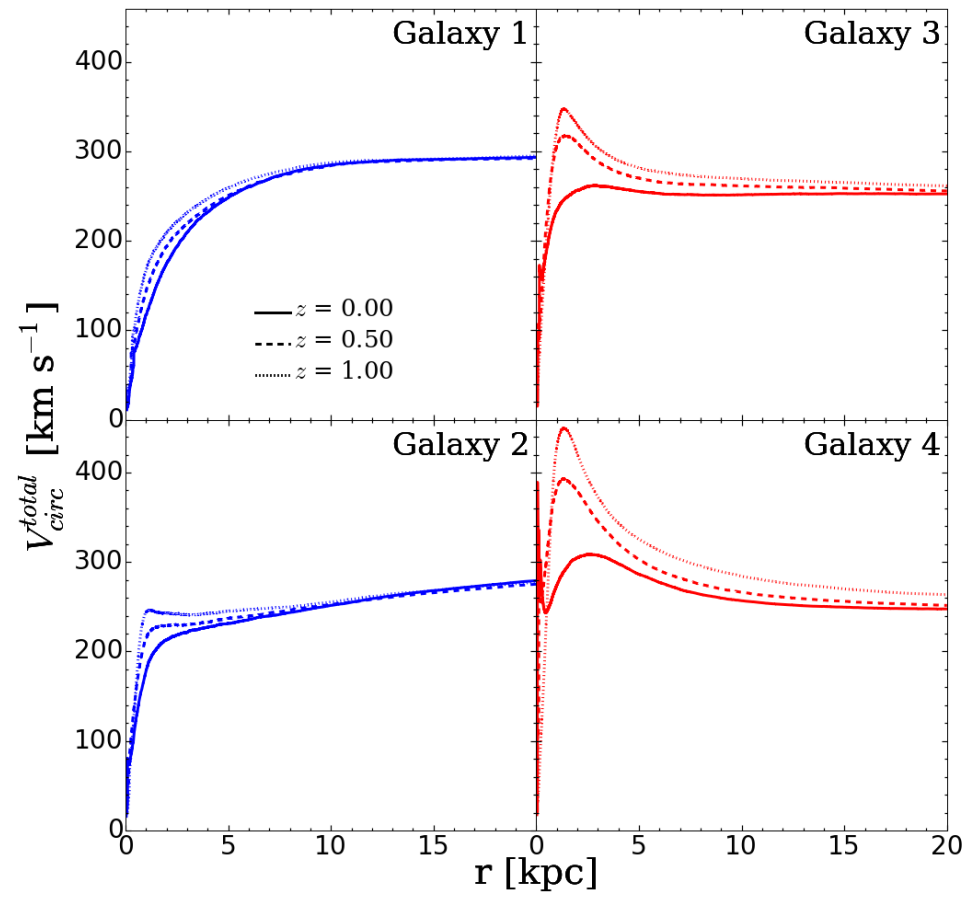


Time  $t = t_{\text{bar}}$  is the more recent time when the galaxy take values of  $A_2^{\text{max}} < 0.25$ .  
If this time is lower than 5Gyr  $\longrightarrow t_{\text{bar}} = 5$  Gyr

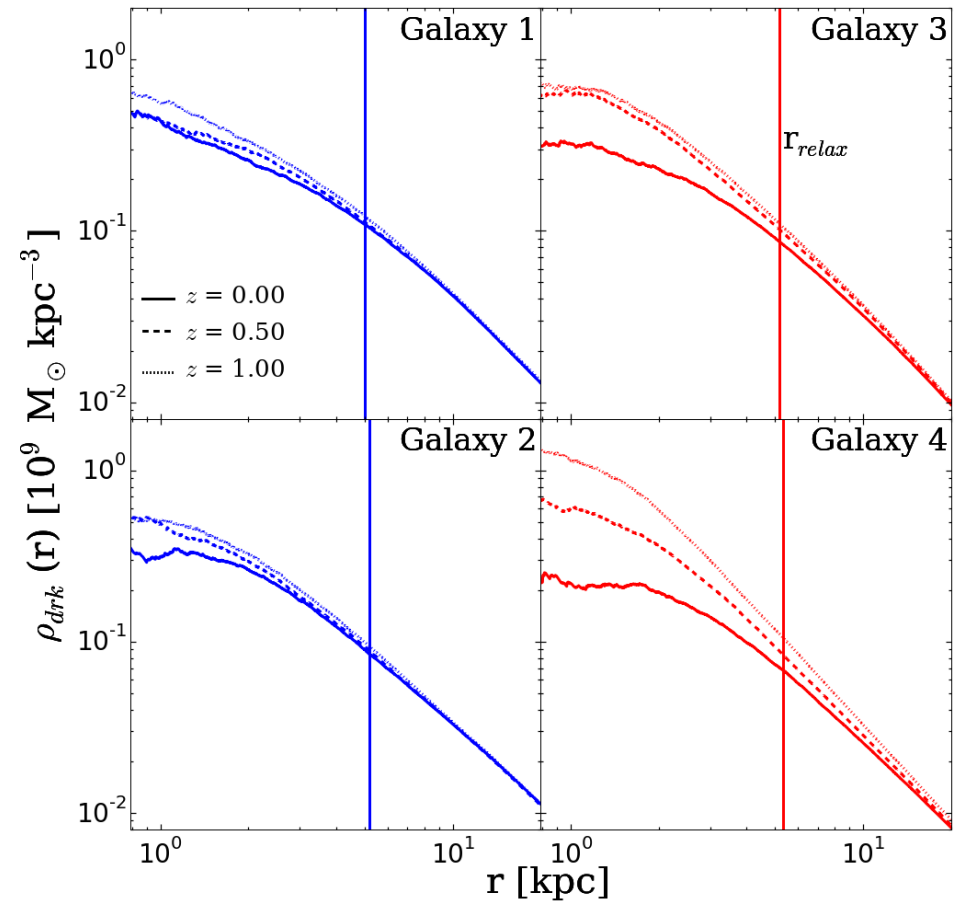




# Circular velocity profile evolution



# Dark matter profile evolution

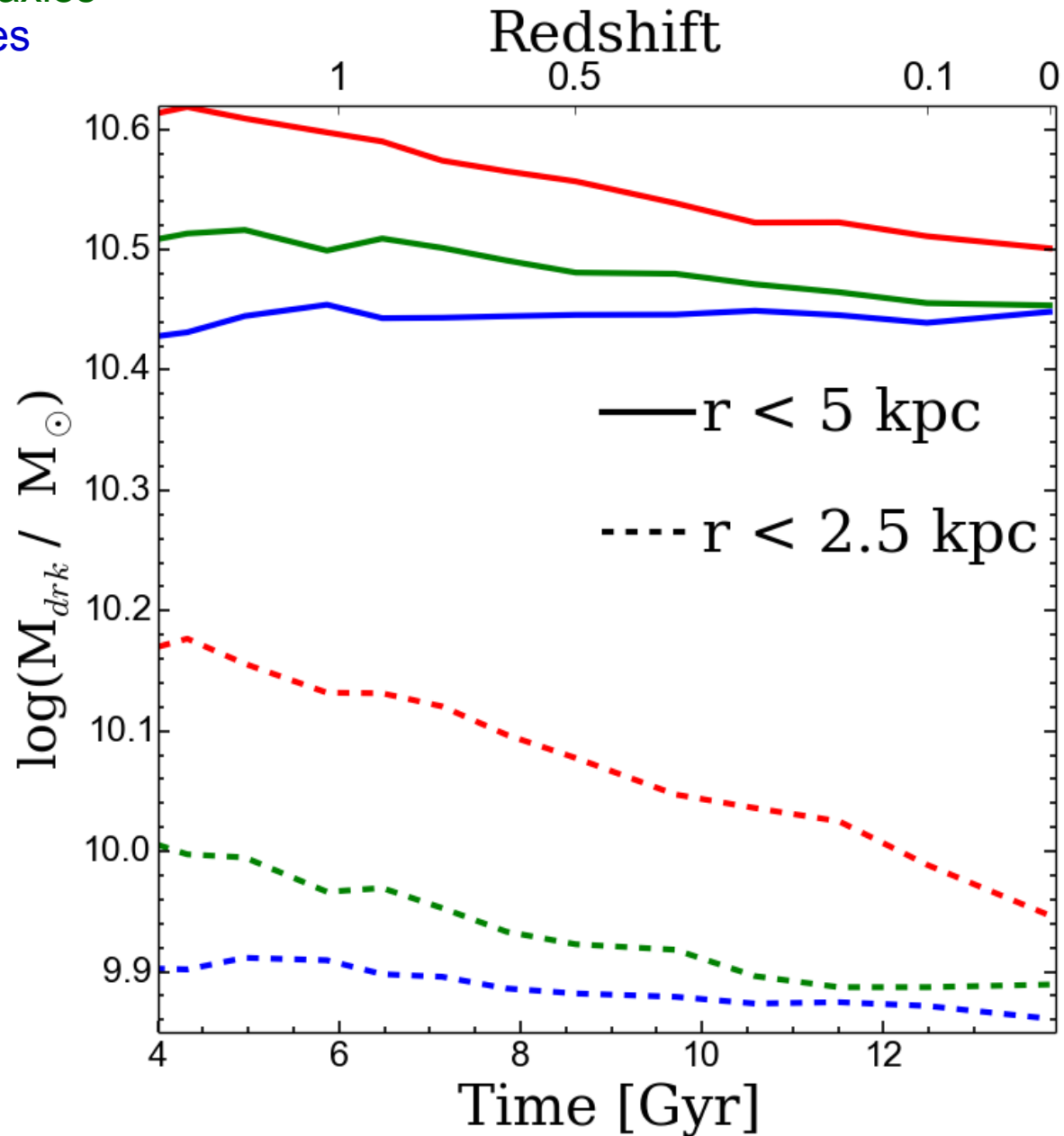


# Evolution of the medians of the dark matter

Strong barred galaxies

Weak barred galaxies

Unbarred galaxies



# Conclusions

Barred galaxies are present in approximately 40% of the disc galaxies of the sample

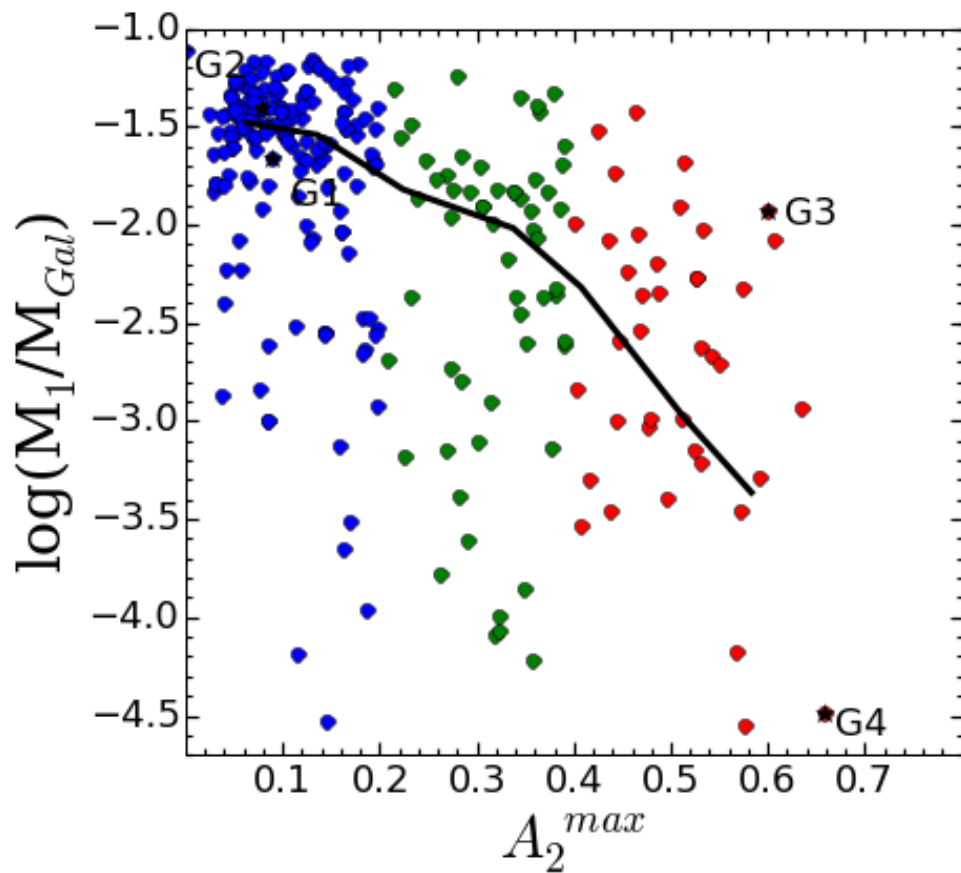
Good correlation between bar strength and rotational kinetic energy and half mass radius

We expand the Efstathiou (1982) instability criterion based on how are the total contribution circular velocity profiles of the sample

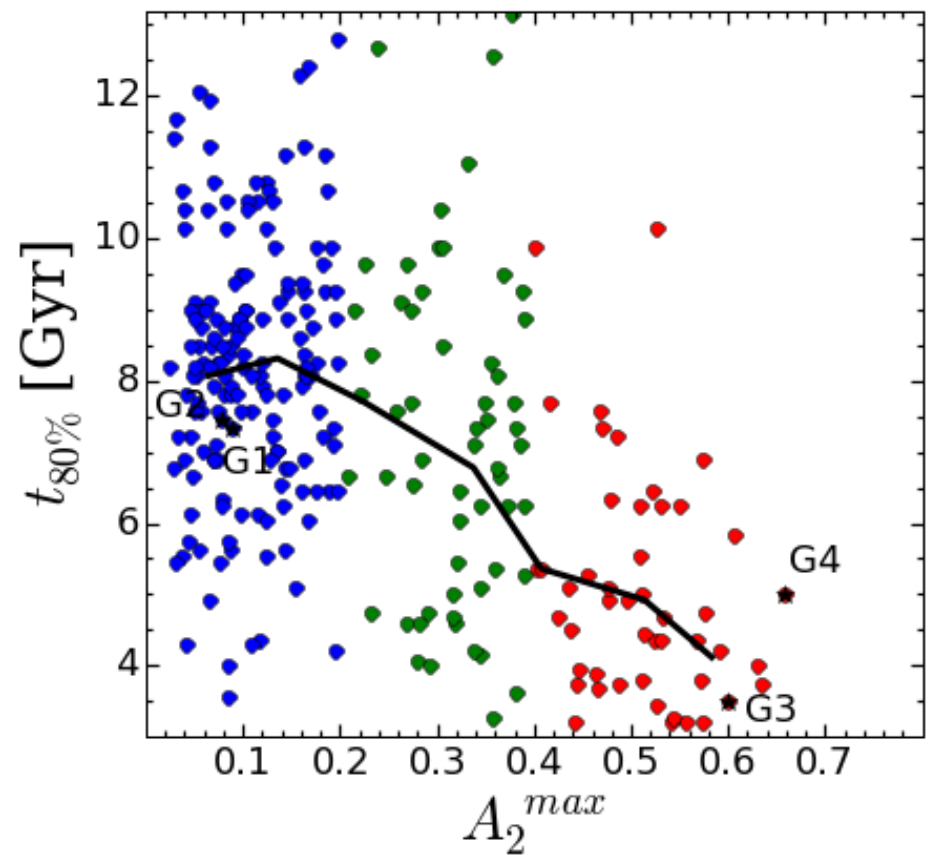
Bar growth along time

Barred galaxies transfer their rotational energy to the dark matter halo.

$A_2^{\max}$  vs normalized stellar mass formed in the last Gyr



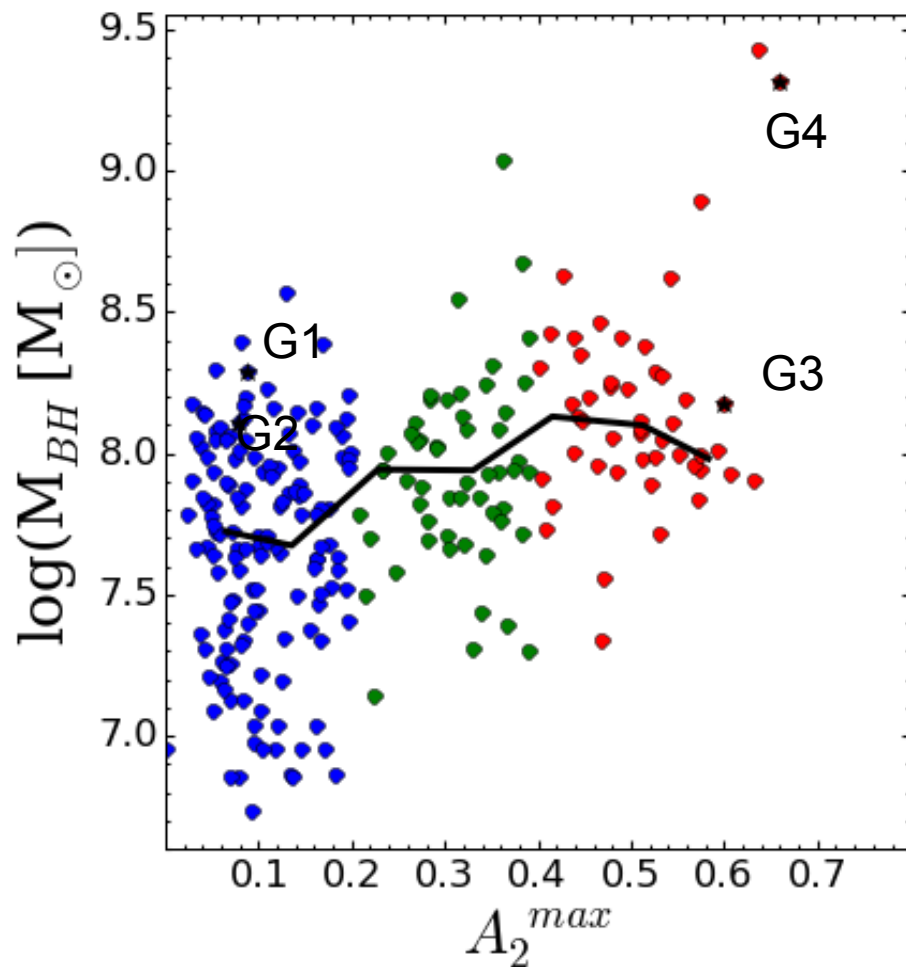
$A_2^{\max}$  vs time when the galaxy formed the 80% of its present day stellar mass



# $A_2^{\max}$ vs Supermassive black

Galaxias con barras tienden a tener agujeros negros un pocos mas grandes y menos cantidad de gas

$A_2^{\max}$  vs supermassive black hole mass



$A_2^{\max}$  vs gaseous mass

